

Sample of field aligned currents
(see ΔB_ϕ on view graph)

Ionosphere Currents

Now $\sigma \neq \infty$ in ionosphere \rightarrow so what is $\vec{\sigma}$?

below ~ 85 km σ is scalar

from 85 \rightarrow 300 km $\vec{\sigma}$ is tensor

with important components ~~at~~ $\perp \vec{B}$

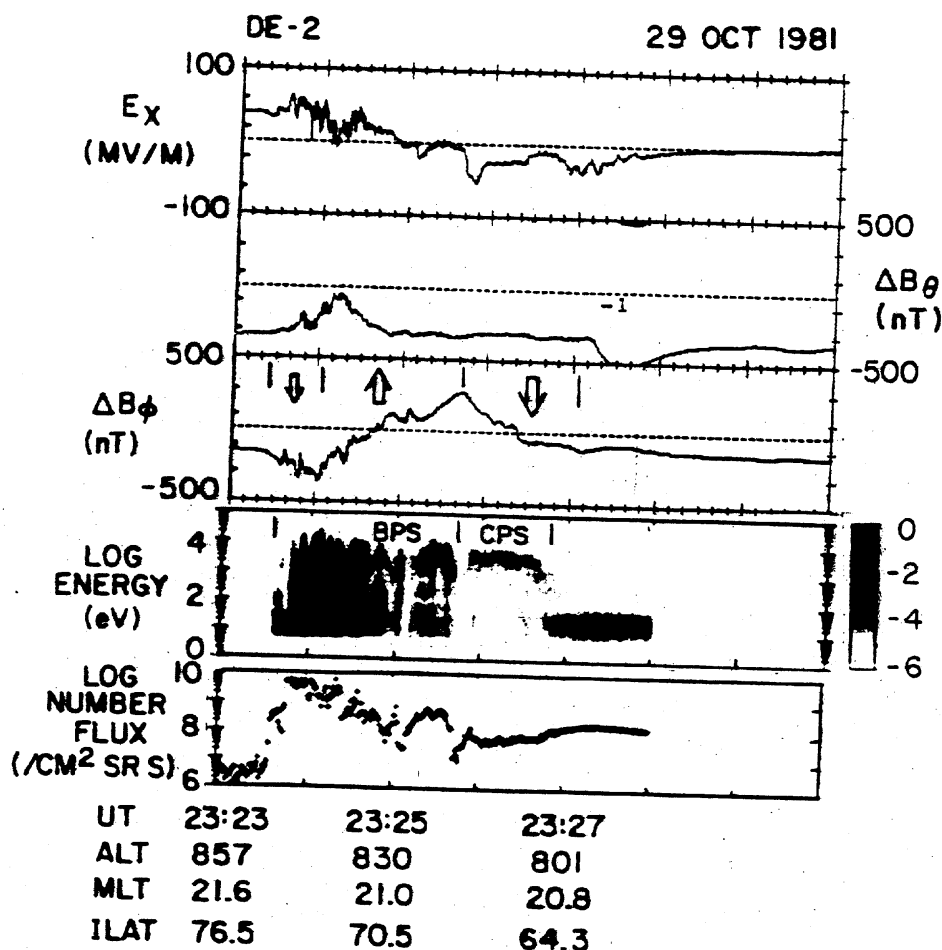
above ~ 300 km $\vec{\sigma} = \sigma_0 \hat{B} \hat{B}$ only has

a component along \vec{B}

We want a relationship between
Driving Electric Field and Current:

$$\vec{J} = \vec{\sigma} \cdot \vec{E}$$

calculate $\vec{\sigma}$ in these 3 regions



The components of the electric and magnetic fields and the electron spectrogram and number flux (see Fig. 2 caption) for an evening pass on October 29, 1981.

component of the electric field, the dipole field, and east-west components of the magnetic field, and the electron energy-time spectrogram at zero degree pitch angle and the number flux obtained from LAPI, for a satellite pass near magnetic local time 21:00 on October 20, 1981. Electrons are in the energy range 5 eV to 32 keV. The mode of operation is a 32 point energy spectrogram obtained every second. The electric field data are 1/2 second averages. The arrows indicate that the upward field-aligned current region extends approximately from 0758:20, and that a downward current region extends from 0758:20 to about 0759:00. The directions are schematically indicated by the figure. The x component of the magnetic field in Figure 2 (and also in Figure 3) is southward. Therefore the coefficient of correlation between E_x and ΔB_θ has an opposite sign to the case shown in Figure 1. The terminology of Winningham et al. (1975) has been found to be useful in determining the relationships between

the characteristics of electrons and field-aligned currents. According to Winningham et al. (1975), the electron flux precipitating from the central plasma sheet (CPS) is relatively stable with respect to 'substorm time' and spatially uniform, and its variation, if any, is a uniform increase or decrease in intensity. The boundary plasma sheet (BPS) precipitation is characterized by highly variable plasma precipitation poleward of the CPS region. It is in the BPS region that structures such as the 'inverted V' are observed, as seen in the figure. As to the field-aligned currents, it is more convenient for the present purpose to categorize the field-aligned current regions simply by upward and downward current regions rather than by regions 1 and 2 as is usually done following the nomenclature of Iijima and Potemra (1976).

In Figure 2 the upward field-aligned current region coincides with the inverted V's in the boundary plasma sheet (BPS) precipitation and the downward current region is inside the central plasma sheet (CPS). In this example there is a

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NEGLECT ① TEMPORAL ② HORIZONTAL Variations

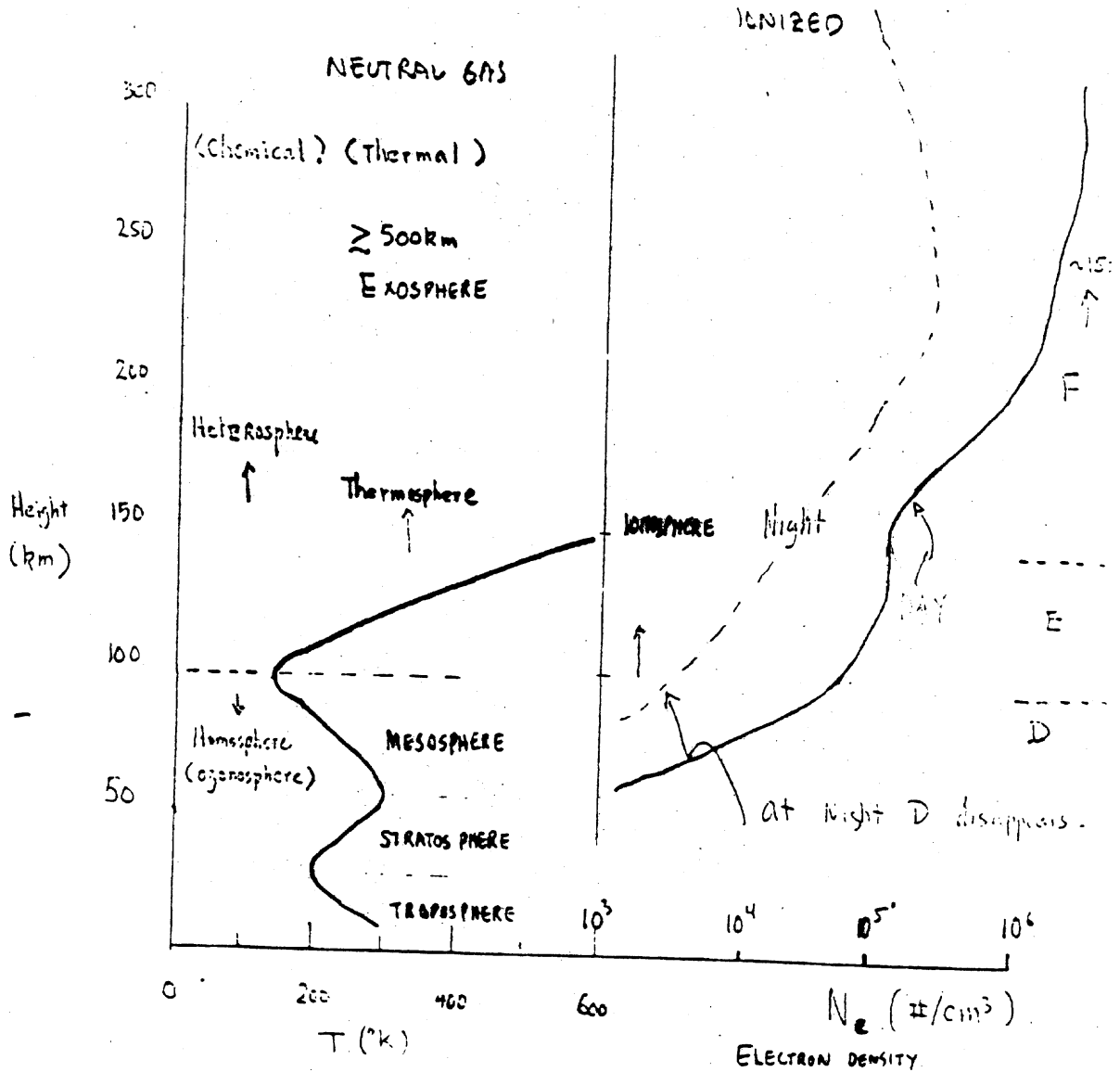


Figure 13 - Electron density as a function of height.

Fig 4.1

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re rocket-borne ion mass development. Interest in these and related progress dependent. Attention is composition measure- tion of neutral trace ion mass spectrometry. rometry are assessed.

ion mass spectrometry in experimental methods. ults of ion composition rposes and the interest is the atmosphere's ionized

aying an important role in the exploration of the only method which spheric ions. However, ion tion not only on ions, but usure and, perhaps most, measured ion composition. chemical ionization mass ity being due to the high rom the long-range charge- ble cases. PACIMS may ne per cm³. Various gs in the middle forstanding of trace gs A most striking example is he by PACIMS (ARNOLD and e gas gives rise to the at least temporarily influ- an impact on climate. ion of meteoric metal atoms e al., 1971) which catalyt-

were originally used in the e the gas pressure is mass spectrometer to be into the denser atmospheric eters yielded the first ion here.

velocity at very low total ion concentrations, with 100-10,000 cm⁻³ being typical of most parts of the middle atmosphere.

The first ion mass spectrometer equipped with a compact high speed cryopump was built by the Group of Narcisi at the AFGL (Air Force Geophysics Laboratory; formerly Air Force Cambridge Research Laboratory) and successfully flown on a rocket on October 31, 1963 (NARCISI et al., 1965). This pioneering experiment opened a new area of atmospheric research. In the meantime, various research groups including those at NASA Goddard Space Flight Center, Greenbelt, Maryland (NASA), at the Max-Planck-Institut für Kernphysik, Heidelberg (MPIK), and at the University of Bern (UB) joined the AFGL group in this difficult field of research and contributed to make rocket-borne ion mass spectrometry a vivid and productive area of research up to the present time.

More recently, sampling of middle atmospheric ions was greatly extended by balloon (ARNOLD et al., 1978; ARIS et al., 1979), aircraft (HEITMANN and ARNOLD, 1983), and most recently also by parachute-borne drop-sonde ion mass spectrometry (PEILSTICKER and ARNOLD, 1984). Thus, atmospheric ion mass spectrometry now covers the entire range of the middle atmosphere (10-100 km) and even major parts of the troposphere (Figure 1). These recent extensions have revealed new aspects and possibilities of atmospheric ion research, some of them also stimulating new interest in the upper parts of the middle atmosphere, which can be probed only by using rocket-borne ion mass spectrometers. A striking manifestation of this renewed interest is the development of a novel parachute-borne drop-sonde mass spectrometer payload which is carried by a single-stage rocket to 60-70 km. Recently, this "dropsonde" payload was flown for the first time by the MPIK group (PEILSTICKER and ARNOLD, 1984) with great success.

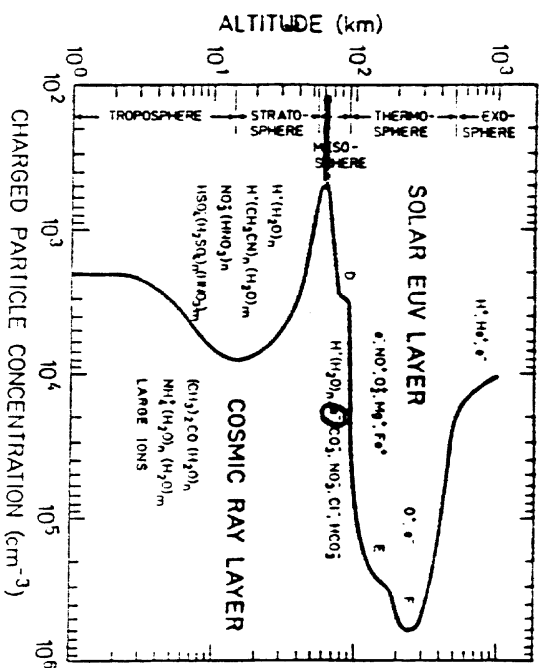


Figure 1. Schematic representation of the atmospheric ionized component.

Arnold & Viggiano, 1986

What is σ ?

σ_1 (atmosphere) - is scalar up to 85 km. For a single atmospheric ion^{species} at dc:

$$\sigma = \frac{ne^2}{mv} \text{ (Spitzer Conductivity)}$$

v is due to ion-neutral collisions and comes from Boltzman Equation:

$$\rightarrow \frac{\partial f}{\partial t} + \vec{V} \cdot \frac{\partial f}{\partial \vec{r}} + \frac{q}{m} (\vec{E} + \vec{V} \times \vec{B}) \cdot \frac{\partial f}{\partial \vec{V}} = \left. \frac{\partial f}{\partial t} \right|_c (= 0 \text{ in fluid theory})$$

$$\left. \frac{\partial f}{\partial t} \right|_c = \frac{f(\vec{r}, t) - f_0}{\tau(V)}$$

$\tau(V)$
Velocity Dependent

τ ← mean collision time

let $f = f_0 + f_1$
and $f_1 \ll f_0$
relaxes to
 f_0 after
long time

$$\text{set } v \equiv \frac{1}{\tau} \text{ to get: } \sigma = \frac{ne^2}{mv} \text{ for each species}$$

To get n integrate Boltzman eqn. over \vec{V} :

$$\frac{dn}{dt}$$

$$\frac{dn}{dt} + \nabla \cdot (n\vec{V}) = 0 = \text{Source} - \text{Sink} \quad (\text{steady state non convecting})$$

$$= \Pi - \alpha n^2 - \beta n_A n$$

pair production → Π
recombination → αn^2
Aerosol Attachment → $\beta n_A n$

What is σ_1 ? (Low Atmosphere)

$$m \frac{d\vec{V}}{dt} + m\nu \vec{V} = e\vec{E} \text{ (force eqn.)}$$

To solve: assume plane wave superposition in steady state:

$$\vec{V} = \frac{e}{m(\nu - i\omega)} \vec{E}_0 e^{-i\omega t}$$

From which we can get σ by using

$$\vec{J} = \sum_s n_s e_s \vec{V}_s = \sigma \vec{E} \text{ (Ohms Law)}$$

for a single species at dc:

$$\sigma = \frac{ne^2}{m\nu} \text{ (Spitzer Conductivity)}$$

What is $\vec{\sigma}_2$

Now that we understand better where ν (collision frequency) comes from, we can go back to simple equations again
Look at the Force equation on a particle

$$m \frac{d\vec{v}}{dt} + \nu m \vec{v} = e(\vec{E} + \vec{v} \times \vec{B}) \quad (\text{Lorentz force})$$

A "ad hoc" resistance term - ultimately from $\frac{\partial f}{\partial t}$ collision term of Boltzmann

take steady state ($\frac{\partial}{\partial t} = 0$)

and incorporate the $\vec{v} \times \vec{B}$ term into $\vec{\sigma}$

That is $\nu m \vec{v} - e \vec{v} \times \vec{B} = e \vec{E}$ \leftarrow same type equation for each species
3 equations and 3 unknowns (v_x, v_y, v_z)

$$\text{we want } \vec{J} = ne\vec{v} = \vec{\sigma} \cdot \vec{E}$$

so write out component equations

$$\nu m v_x - e v_y B_z + e v_z B_y = e \vec{E}$$

\vdots

same for x, y, z

Sum over species to get

What is $\vec{\sigma}_2$? (ionosphere)

$$\vec{\sigma} = \begin{pmatrix} \sigma_P & \sigma_H & 0 \\ -\sigma_H & \sigma_P & 0 \\ 0 & 0 & \sigma_o \end{pmatrix} \quad \text{where using } \omega_s = \frac{e_s B}{m_s}$$

$$\sigma_P = \sum_s \frac{n_s e_s^2 v_s}{m_s (\omega_s^2 + v_s^2)} = ne^2 \left(\frac{v_-}{(\omega_-^2 + v_-^2) m_-} + \frac{v_+}{(\omega_+^2 + v_+^2) m_+} \right)$$

$$\sigma_H = \sum_s \frac{n_s e_s^2 B}{m_s^2 (\omega_s^2 + v_s^2)} = ne^2 \left(\frac{\omega_-}{(\omega_-^2 + v_-^2) m_-} - \frac{\omega_+}{(\omega_+^2 + v_+^2) m_+} \right)$$

NOTES:

1. $\sigma_P \rightarrow \sigma_o = \frac{ne^2}{mv}$ for $B = 0$

2. For $B \rightarrow 0$, $\sigma_H \rightarrow 0$

3. In E-region ionosphere $\omega_- \gg v_-$ (electrons) but $\omega_+ \ll v_+$ (ions)

$$\text{so } \sigma_H \approx \frac{ne^2}{m\omega_-}$$

What is σ_3 ?

σ_3 is similar to σ_2 except that in this region $\sigma_0 \rightarrow \infty$

So σ_p and $\sigma_H \ll \sigma_0$

Thus we treat the \vec{B} field lines as highly conducting wires

for $\lambda > 300$ km and $\tau > 10^2$ sec.

So $\sigma_3 = \sigma_0 \hat{B} \hat{B}$

Now look at example.

Note that at some altitude we have that $\Omega = \frac{eB}{m}$ becomes smaller than collision frequency ν

That is below some altitude $\Omega_e \ll \nu_e$
if this altitude is different for species then can have one species $\bar{E} \times \bar{B}$ drifting because they are still "magnetized" while the other species is colliding too frequently with neutrals to make gyro orbit.

since $\Omega \propto \frac{1}{m} \gg$ for electrons than ions

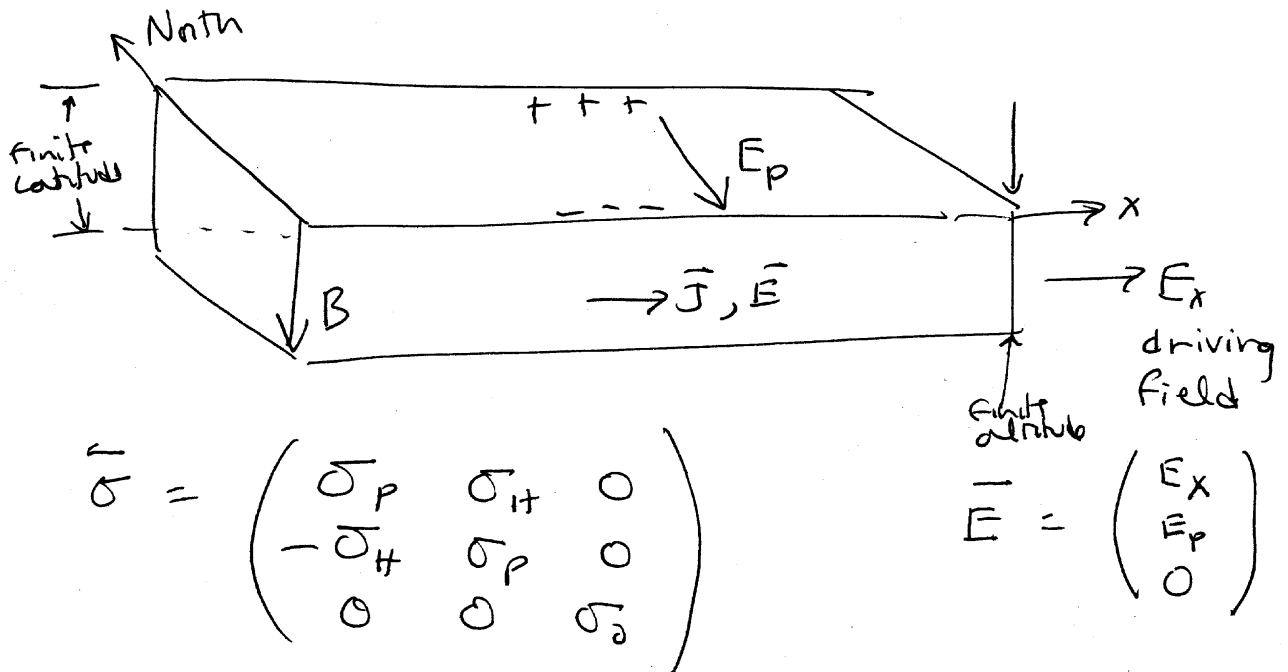
we have a region between ~ 85 and 120 km where

$$\Omega_e \gg \nu_e \quad \text{but} \\ \Omega_i \ll \nu_i$$

so electrons $\bar{E} \times \bar{B}$ drift but ions do not

so the Hall term now gives a current!
(because only one sign of charge is drifting)

Case 1 SLAB of Northern hemisphere Ionosphere



$$\vec{J} = \vec{\sigma} \cdot \vec{E} \Rightarrow \begin{aligned} \sigma_p E_x + \sigma_{H+} E_p &= J_x \\ -\sigma_{H+} E_x + \sigma_p E_p &= J_y = 0 \quad (\text{assumes } J_{H+} = 0) \end{aligned}$$

bounded in latitude

So $E_p = \frac{\sigma_{H+}}{\sigma_p} E_x$

$$\text{and } J_x = \sigma_p E_x + \frac{\sigma_{H+}^2}{\sigma_p} E_x$$

assume $\sigma_H \gg \sigma_p$ (as is the case for E region ionosphere)

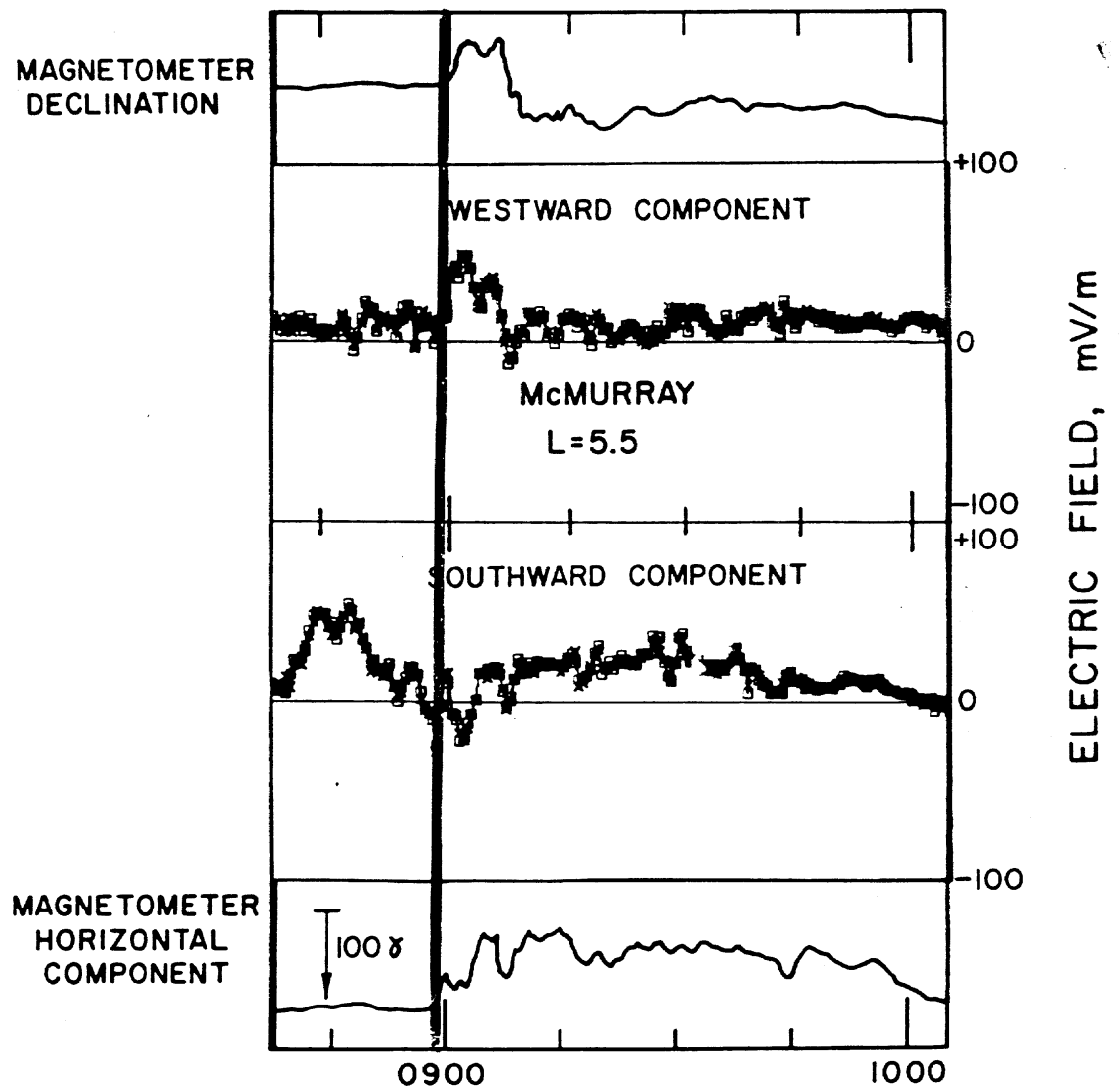
~~$$J_x = \sigma_p E_x$$~~

$$J_x = \sigma_{H+} E_y \quad \text{and} \quad J_y = -\sigma_{H+} E_x$$

driving fields

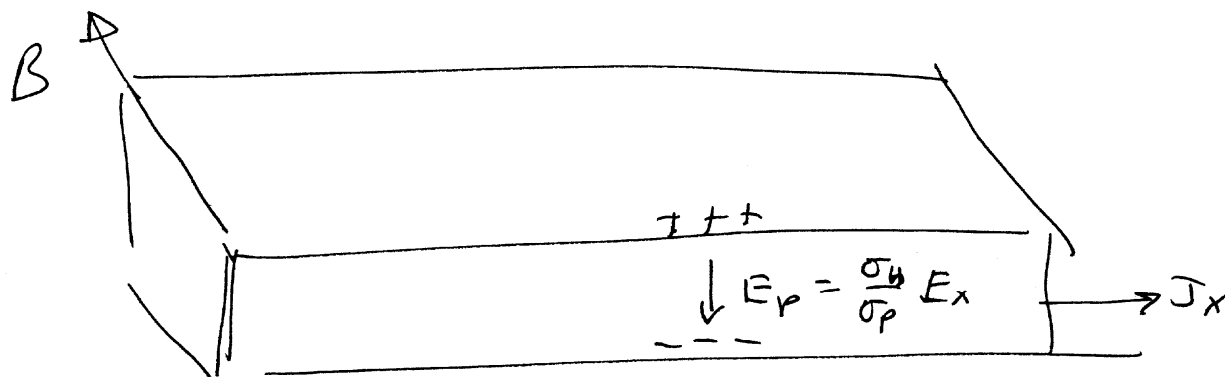
Note, in reality E_p is less than $\left[\frac{\sigma_{H+}}{\sigma_p} E_x \right]$ because field aligned currents bleed off the charge.

Case 1 example



Case II

Equator Slot of ionosphere



Equatorial Electrojet

$$J_x = \left(\sigma_p + \frac{\sigma_H^2}{\sigma_p} \right) E_x$$

$\underbrace{\hspace{10em}}$
 Cowling conductivity

eg: if $\sigma_H = 2\sigma_p$ then $J_x = 5\sigma_p E_x$
 great enhancement
 over simple $\sigma_p E_x$